

# Correlation between Electronic Structure and Electron Conductivity in $\text{MoX}_2$ ( $X = \text{S}, \text{Se}, \text{Te}$ )

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# Supercapacitor



SUPERCAPACITOR

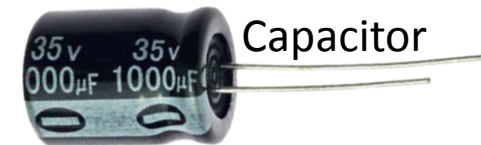
Capacity = High Energy Density  
Speed = High Power Density

Application in Electric Bike:

1. Battery: Main source
2. Supercapacitor: Acceleration

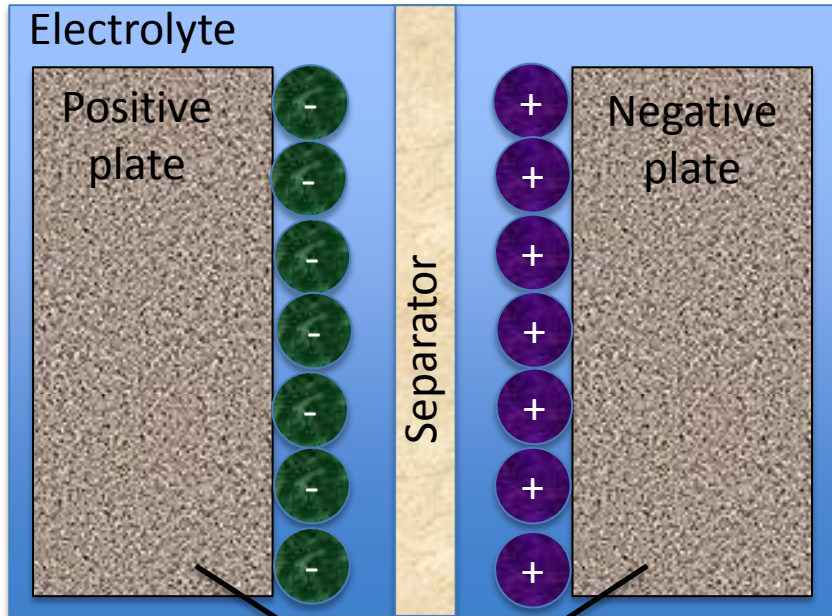


High Energy Density  
Low Power Density



Low Energy Density  
High Power Density

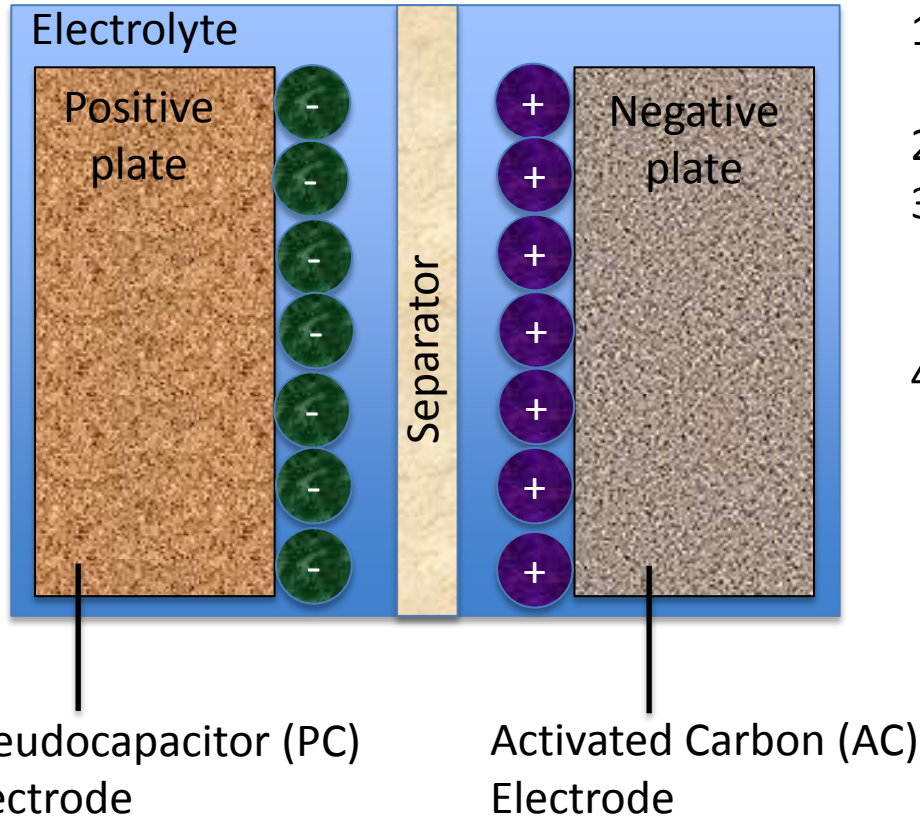
# Symmetric Supercapacitor (SSC)



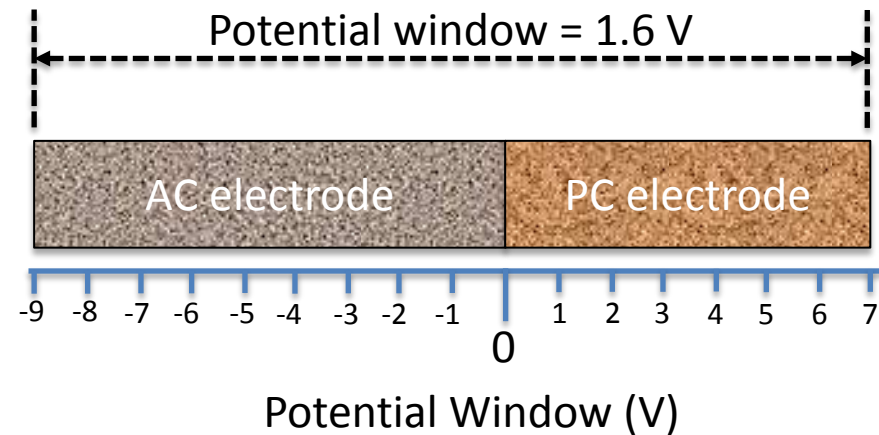
Activated Carbon (AC) Electrodes

1. Working potential of each AC electrodes are ca. 0 to -0.9 V (Zhang et al., 2015).
2. A combination of two similar electrodes produces maximum working potential of an SSC device ca. 0.9 V.

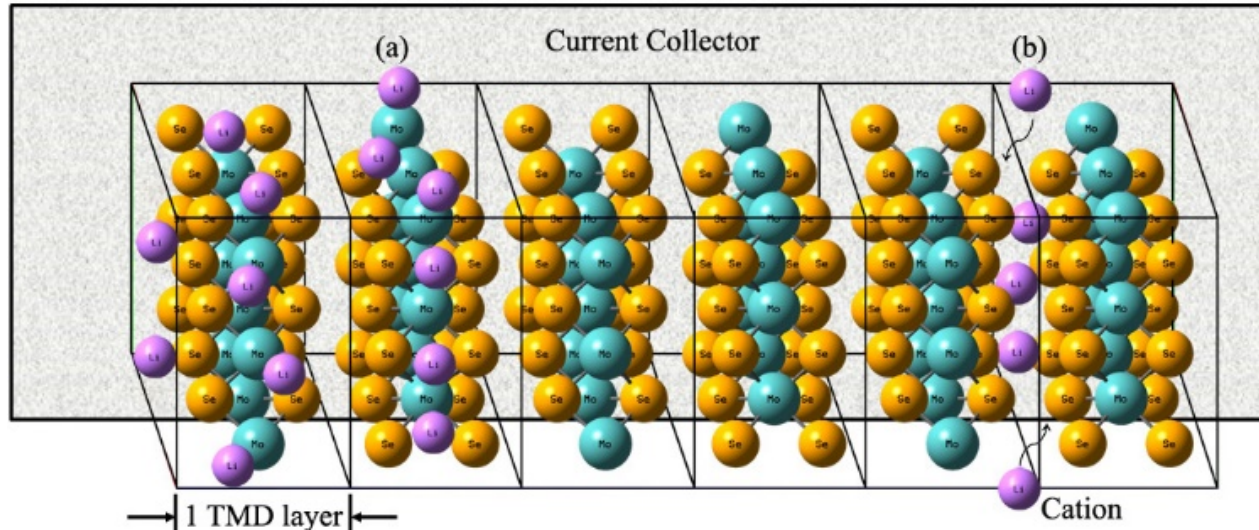
# Asymmetric Supercapacitor (ASC)



1. Potential window of a SC could be widen using an ASC device structure.
2. Example of a PC-type material is  $\text{MoSe}_2$ .
3. The working potential of an  $\text{MoSe}_2$ -electrode is ca. 0 to 0.7 V (Aziz et al., 2016)
4. The potential window widens:



# Pseudocapacitive TMD-ASC



## (a) Electrochemical-charge storage:

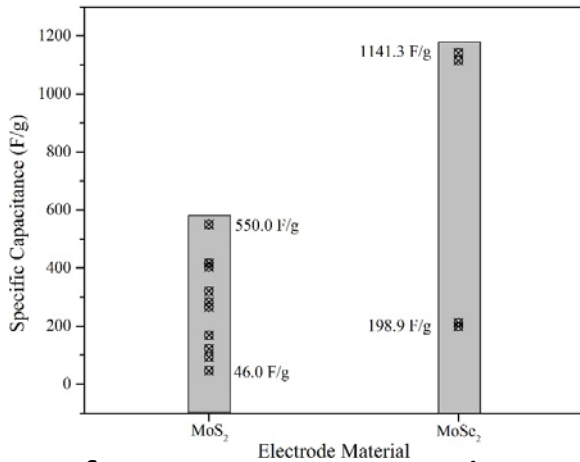
Chemisorption of electrolyte cations at the surface of TMD e.g., MoSe<sub>2</sub> with Mo oxidation states of +4, +5, and +6 (Stark et al, 1969).



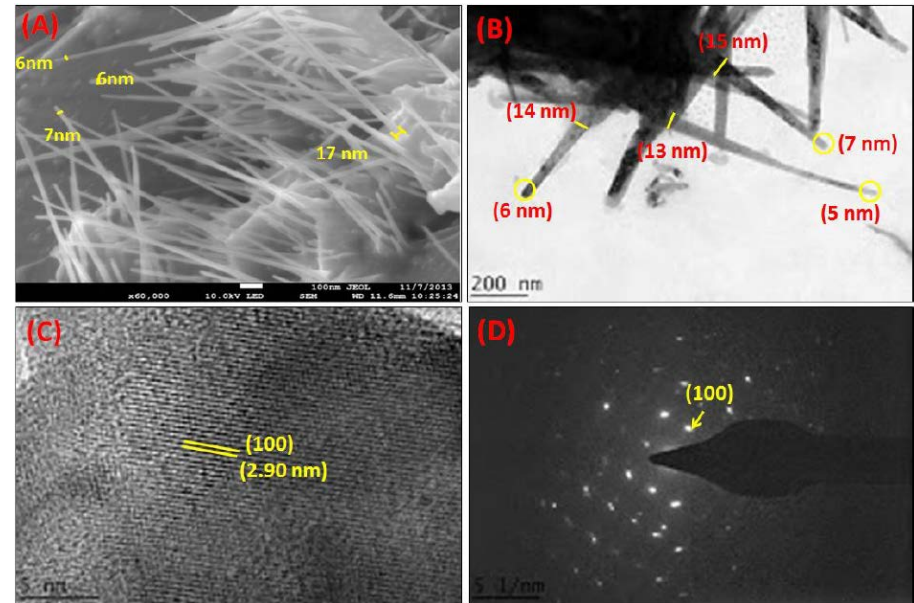
## (b) Electrostatic-charge storage:

Intercalation pseudocapacitance charge storage mechanism at surface and bulk of TMD.

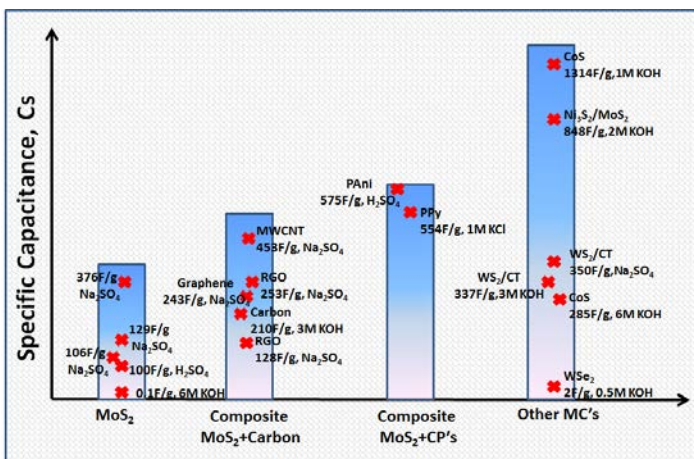
# Performance of TMD-ASCs



Specific capacitance,  $C_s$  obtained by MoS<sub>2</sub> and MoSe<sub>2</sub>-based electrodes with various device structures.



Single crystal molybdenum selenide nanoneedles produced  $C_s$  ca. 601 F/g (Aziz et al, 2016)



Specific capacitance,  $C_s$  obtained by TMDs-based electrode with various type of optimization.

# Increasing Power Density of TMD-ASCs

$$v_d = \mu \times E \quad (\text{Eq. 1})$$

$$\sigma = \eta \times e \times \mu \quad (\text{Eq. 2})$$

$$\mu = (e \times \tau) / m_e^* \quad (\text{Eq. 3})$$

$$m_e^* = (2\hbar^2 / 9t_o^2 r_o^2) E_G \quad (\text{Eq. 4})$$

$$\sigma \propto 1 / E_G$$

$v_d$  = drift velocity of electron in TMD

$\mu$  = electron mobility in TMD

$E$  = applied electric field

$\sigma$  = electron conductivity in TMD

$\eta$  = concentration of electron

$e$  = charge of electron

$\tau$  = relaxation time between electron scatterings

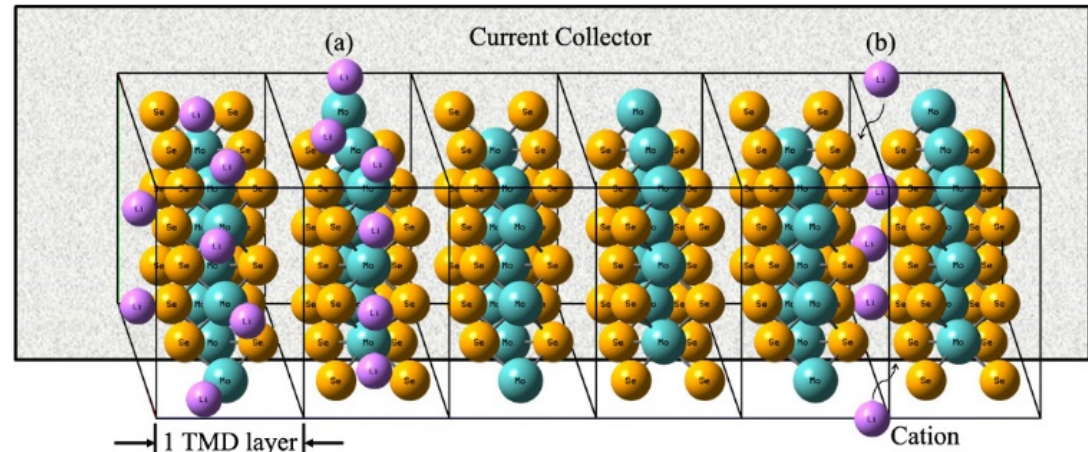
$m_e^*$  = effective mass of electron in TMD

$\hbar$  = reduced Plank's constant

$t_o$  = electron hopping parameter

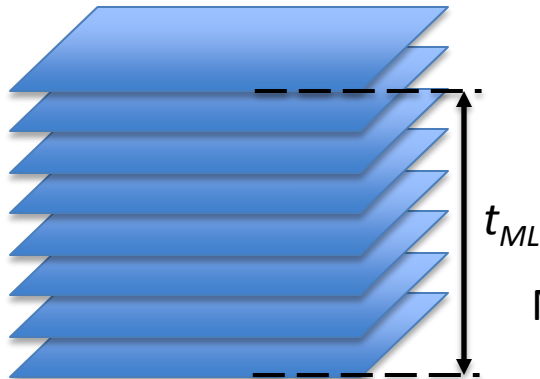
$r_o$  = equilibrium bond length

$E_G$  = bandgap



# Electronic properties of TMDs

$t_{ML} >$  exciton bohr radius

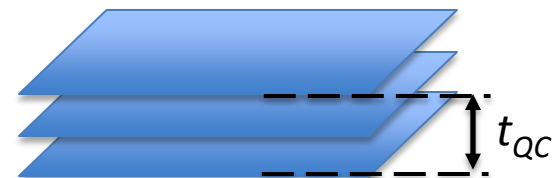


Bulk multi-Layered TMD



Mechanical exfoliation

$t_{QC} <$  exciton bohr radius



Quantum confined multi-layered TMD

- Indirect bandgap
- Low conductivity



- Direct bandgap
- High conductivity

Zhang et al. (2014), Shaw et al, (2014), and Hosseini et al. (2015)

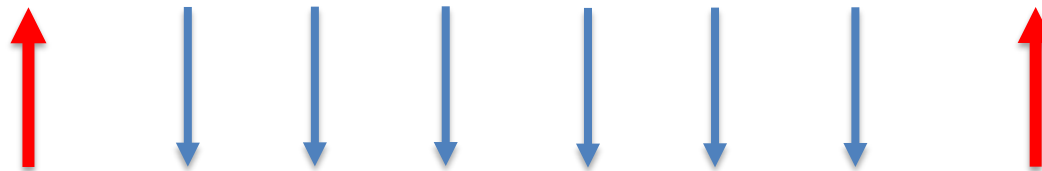
**Problem:** What is the correlation between thickness of a monolayer and conductivity?



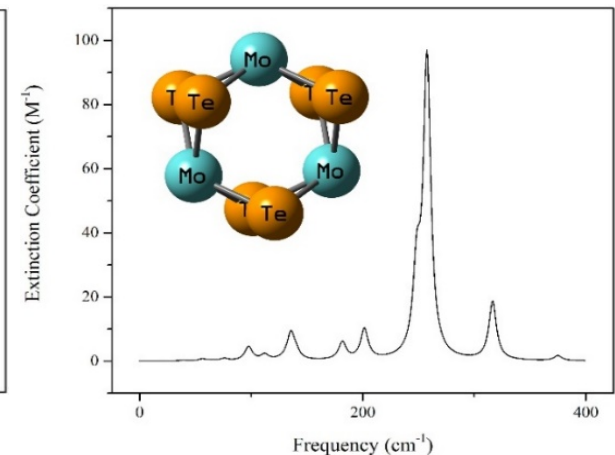
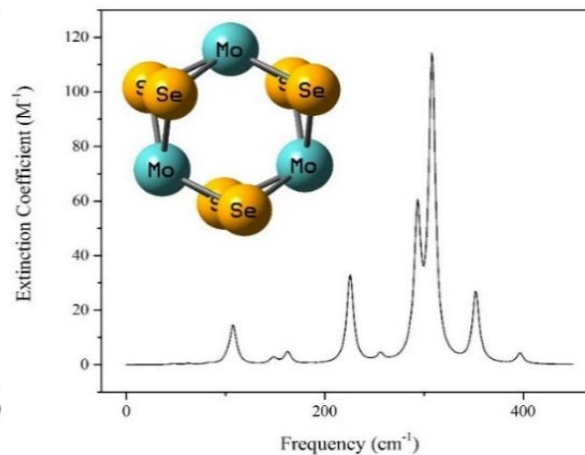
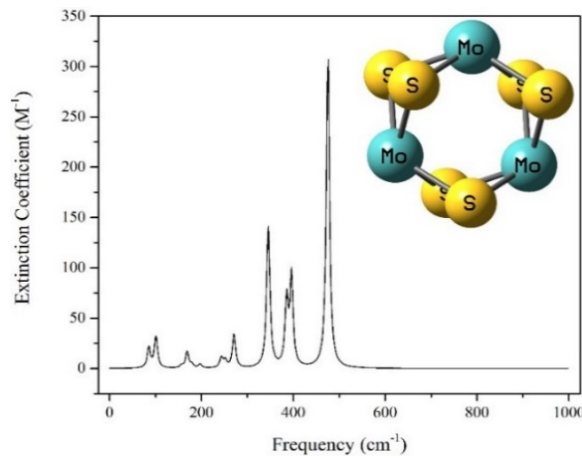
# Properties of basic crystal of TMDs

Material	MW (g/mol)	$a_0$ (nm)	$t_{-1L}$ (nm)	$t_{-Offset}$ (nm)	$E_{g-1L}$ (eV)	$E_{g-Bulk}$ (eV)	$E_{g-Offset}$ (eV)	$\sigma$ (S/m)
MoS <sub>2</sub>	160.07	2.00	1.00	1.00	1.89	1.54	0.35	0.30
MoSe <sub>2</sub>	253.89	1.20	0.80	0.40	1.55	0.22	10.00	
MoTe <sub>2</sub>	351.15	1.00	0.70	0.30	1.02	0.88	0.14	22.00

**Correlation:**  
Thickness of monolayer decreases, conductivity increases.

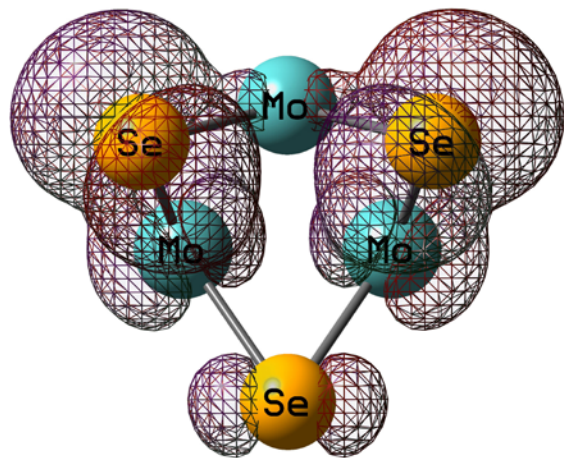


**Problem:** What is the optimum thickness of a monolayer?

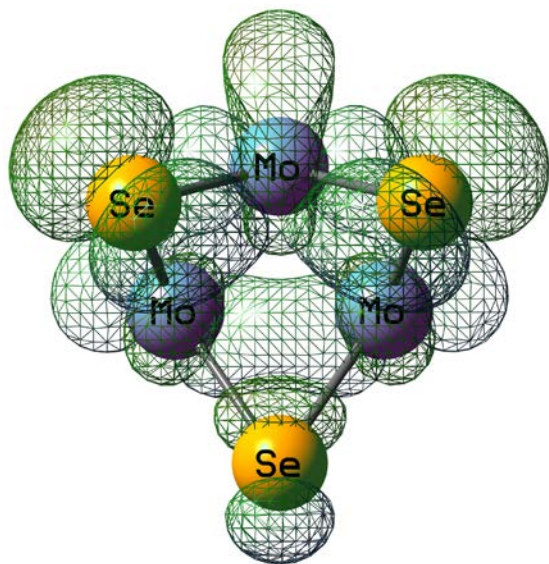


Optimized structure of basic crystal of TMDs; calculated at B3LYP/lanl2dz level of theory

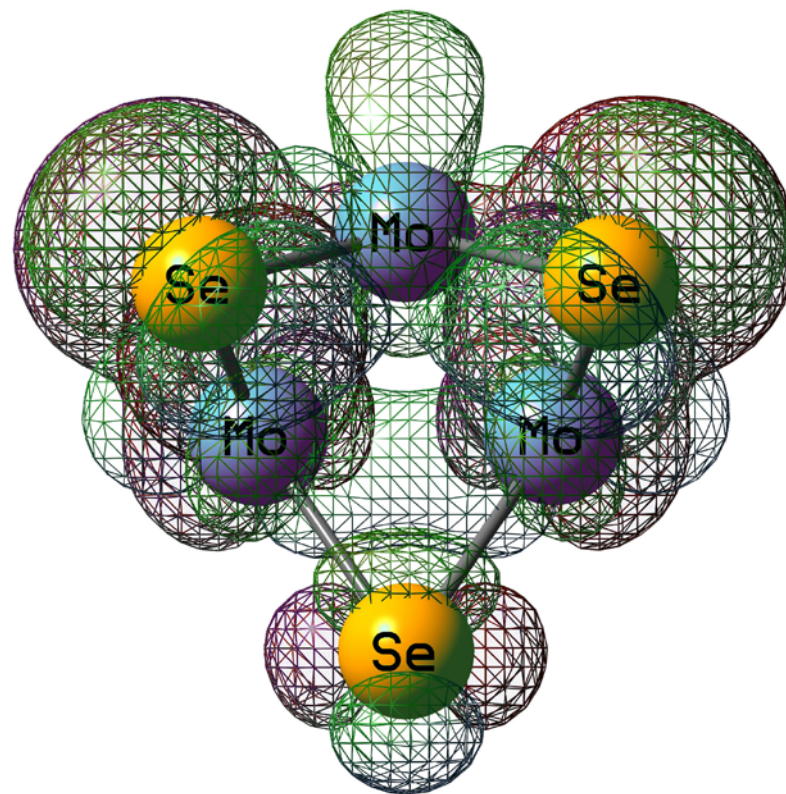
# Electronic properties of MoSe<sub>2</sub>



Ground state electron density



Excited state electron density



Ground & excited state electron density

RED: Ground state electron density

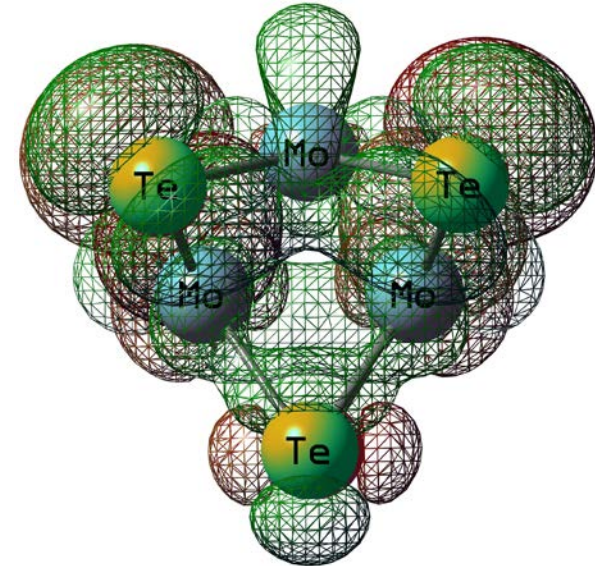
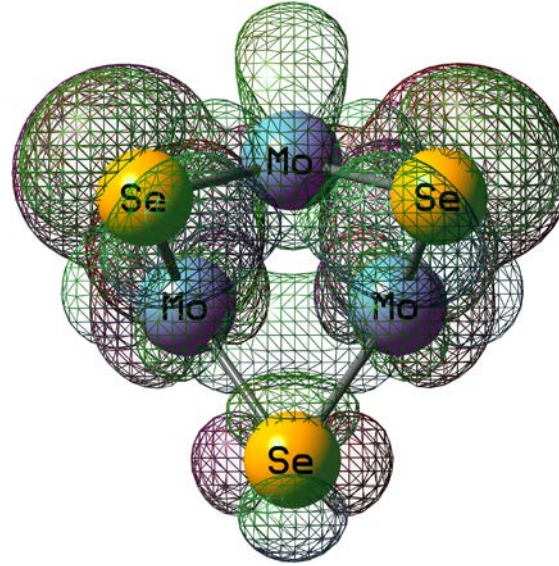
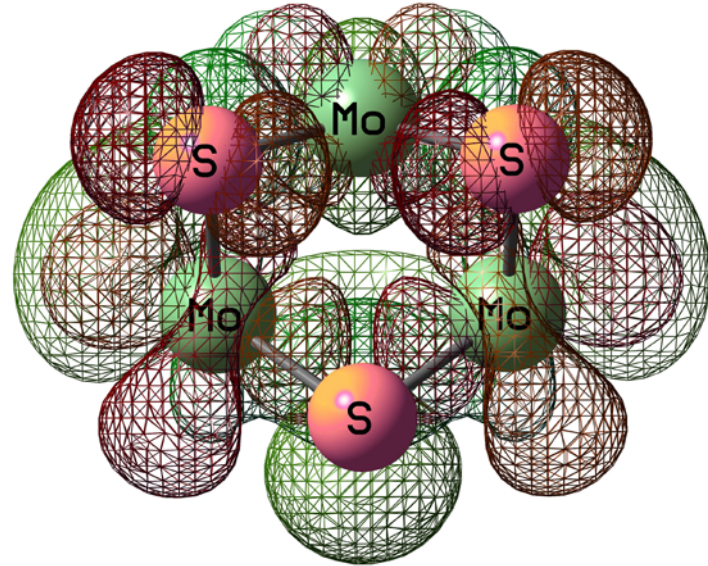
GREEN: Excited state electron density

# Comparison of overlapped orbitals

$\sigma = 0.3 \text{ S/m}$

$\sigma = 10 \text{ S/m}$

$\sigma = 22 \text{ S/m}$



Overlapped area:  $(\text{MoSe}_2)_3 < (\text{MoTe}_2)_3$

**$(\text{MoS}_2)_3$**

**$(\text{MoSe}_2)_3$**

**$(\text{MoTe}_2)_3$**

**Atom Site**

**Atom Site**

**Atom Site**

Mo 3 partial overlap

Mo 3 partial overlap

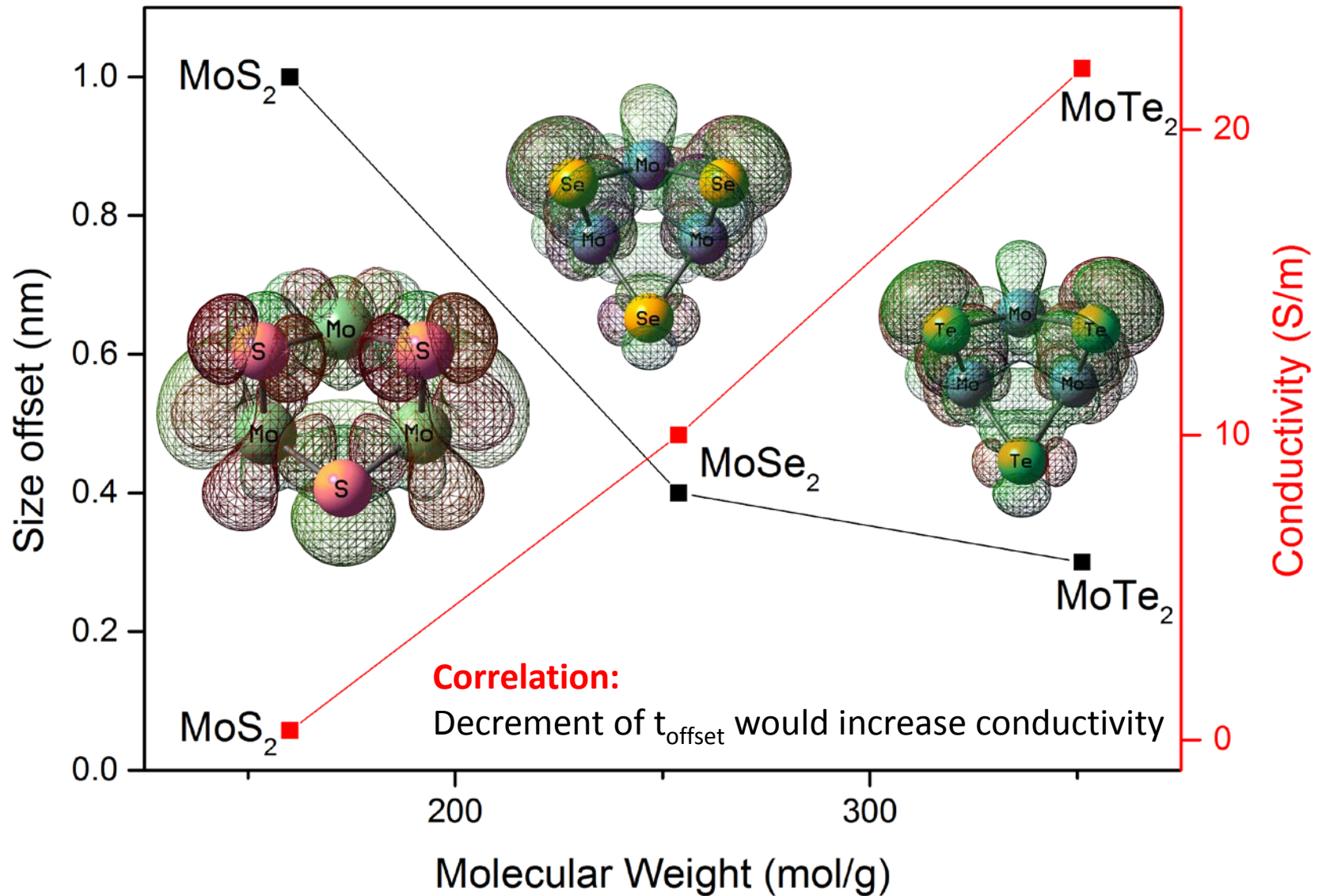
Mo 3 partial overlap

S 2 non overlap + 4 partial overlap

Se 6 partial overlap

Te 6 partial overlap

# Size offset vs. electronic structure vs. conductivity



# Conclusions

1.  $\text{MoS}_2$  ( $t_{\text{Offset}} = 1.0$  nm),  $\text{MoSe}_2$  ( $t_{\text{Offset}} = 0.4$  nm), and  $\text{MoTe}_2$  ( $t_{\text{Offset}} = 0.3$  nm) showed a trend of increasing conductivity i.e.,  $\text{MoS}_2$  (0.3 S/m) <  $\text{MoSe}_2$  (10.0 S/m) <  $\text{MoTe}_2$  (22.0 S/m).
2. The increment of electron conductivity of the  $\text{MoX}_2$  is due to increment of possibility of wave functions overlap between the ground state and excited state electrons.
3. A monolayer thickness which is similar to its exciton Bohr radius ( $t_{\text{Offset}} = 0$ ) is hypothesized would show **maximum area of overlapping** orbitals of excited state and ground state electron; therefore **optimum conductivity** could be achieved.